

# Inferring Natural Preconditions via Program Transformation

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## Motivation

Preconditions separate legal inputs from illegal inputs. Existing approaches for generating preconditions often infer predicates which are unnatural and difficult to comprehend. State of the art approaches combine "features" (e.g.  $x > 0$ ,  $foo.size() > 0$ ) from scratch to construct a boolean predicate which separates crashing inputs from non-crashing inputs. The resulting predicate can become unnecessarily complex, difficult to comprehend, and ultimately, unnatural. In contrast, our approach performs program transformations to the target method to infer natural preconditions as segments of code.

```

1 public BigInteger[] DivideAndRemainder(BigInteger val) {
2     if (val == null)
3         throw new ArithmeticException("Division by zero error");
4     BigInteger[] biggies = new BigInteger[2];
5     if (val == 0) {
6         biggies[0] = Zero;
7         biggies[1] = Zero;
8     } else if (val.quickPow2Check()) {
9         int m = val.Abs().getBitLength() - 1;
10        BigInteger quotient = Abs().shiftRight(m);
11        int[] remainder = LastNBits(m);
12        biggies[0] = quotient;
13        biggies[1] = remainder;
14    } else {
15        BigInteger m_sign = val.isNegative() ? -1 : 1;
16        int[] remainder = (int[]) m_sign.clone();
17        int[] quotient = Divide(remainder, val.m_magnitude);
18        biggies[0] = quotient;
19        biggies[1] = remainder;
20    }
21    return biggies;
22 }
    
```

(a) Generated by our approach.

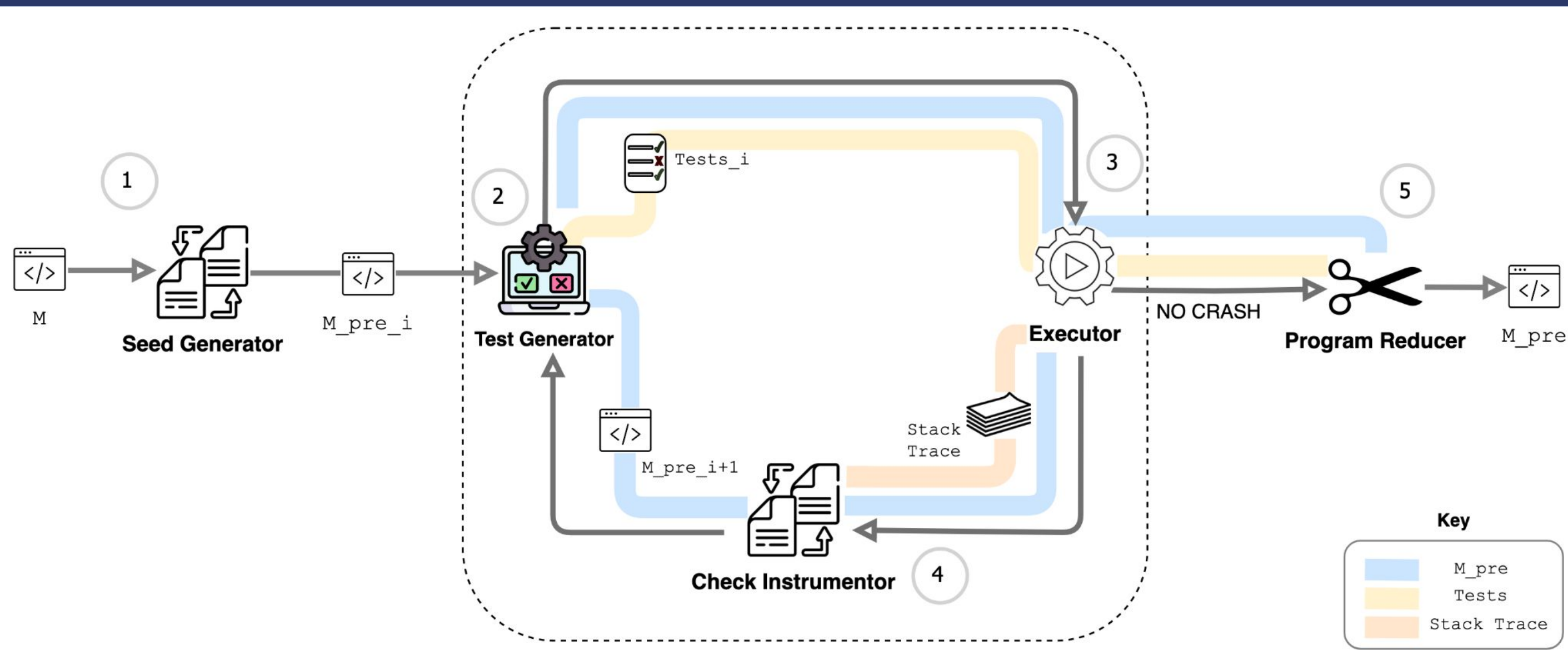
```

1 (not (val == null))
2 and (
3     (val.getIntValue() == val.m_sign and
4     (val.getIntValue() <= -1) or
5     (not (val.getIntValue() <= -1) and
6     (not (val.getIntValue() <= 0))
7     )
8     ) or
9     (not (val.getIntValue() == val.m_sign))
10    )
    
```

(b) Generated by Proviso.

Fig. 1. A method and its corresponding preconditions.

## Technique



## Problem Statement

Given an exhaustive tester  $T$  which generates a set of input environments  $E$ , we aim to infer an  $M_{pre}$  with the following correctness properties for every  $e \in E$ :

- $M_{pre}(e) \rightarrow True$  iff  $M$  exits normally on  $e$  and
- $M_{pre}(e) \rightarrow False$  iff  $M$  throws an exception on  $e$ .

**Solution:** Infer a precondition as a boolean returning method seeded by the target method.

**Seed generator:** Our technique begins by creating a seed through an up-front source transformation on the target method  $M$ . We begin with the method body and make transformations to satisfy our problem formulation, requiring  $M_{pre}$  be a non-exceptional, boolean returning function. Furthermore, our seed generation process makes semantics preserving transformations for precise exception check insertion and syntax-guided reduction in later stages. The source transformation is designed such that the seed has the following desirable qualities:

- $M_{pre}$  must be boolean returning
- $M_{pre}$  must be non-exceptional
- $M_{pre}$  localizes crashes

```

1 public boolean Sqrt_pre () {
2     if (x <= 0)
3         return false;
4     try {
5         Round(Sqrt(this));
6     } catch (Exception e) {
7         return false;
8     }
9     return true;
10 }
    
```

(a)  $M_{pre}$  without call normalization.

```

1 public boolean Sqrt_pre () {
2     if (x <= 0)
3         return false;
4     try {
5         Sqrt(this);
6     } catch (Exception e) {
7         return false;
8     }
9     return true;
10 }
    
```

(b)  $M_{pre}$  with call normalization.

Illustration of call normalization in seed generation.

**Call normalization:** The process of call normalization is essential for crash localization during the next phase of transformation. The normalization transformation lifts each call to its own source line. Call normalization ultimately results in a more readable precondition. Without call normalization it is not clear whether the exception is occurring in the method `Sqrt` or the method `Round`. On the other hand, performing call normalization localizes the exception in `Sqrt`. By localizing the crash we reduce the cognitive load of interprocedural inspection of the exceptional callee.

**Check Instrumentor:** Here, we describe the process for inserting `false` guarding priors to crashes found by the test generator. These are inserted such that  $M_{pre}$  will exit normally on an illegal input rather than throwing an exception. The check instrumentor parses a stack trace produced from the execution of the current tests. The stack trace provides a crash type and location, which allows us to make precise AST transformations. By only guarding against the given crash type at the given location, we maintain maximality and do not reject any legal inputs.

```

1 boolean M_pre(int x) {
2     if (x <= 0)
3         return false;
4     try {
5         Round(Sqrt(this));
6     } catch (Exception e) {
7         return false;
8     }
9     return true;
10 }
    
```

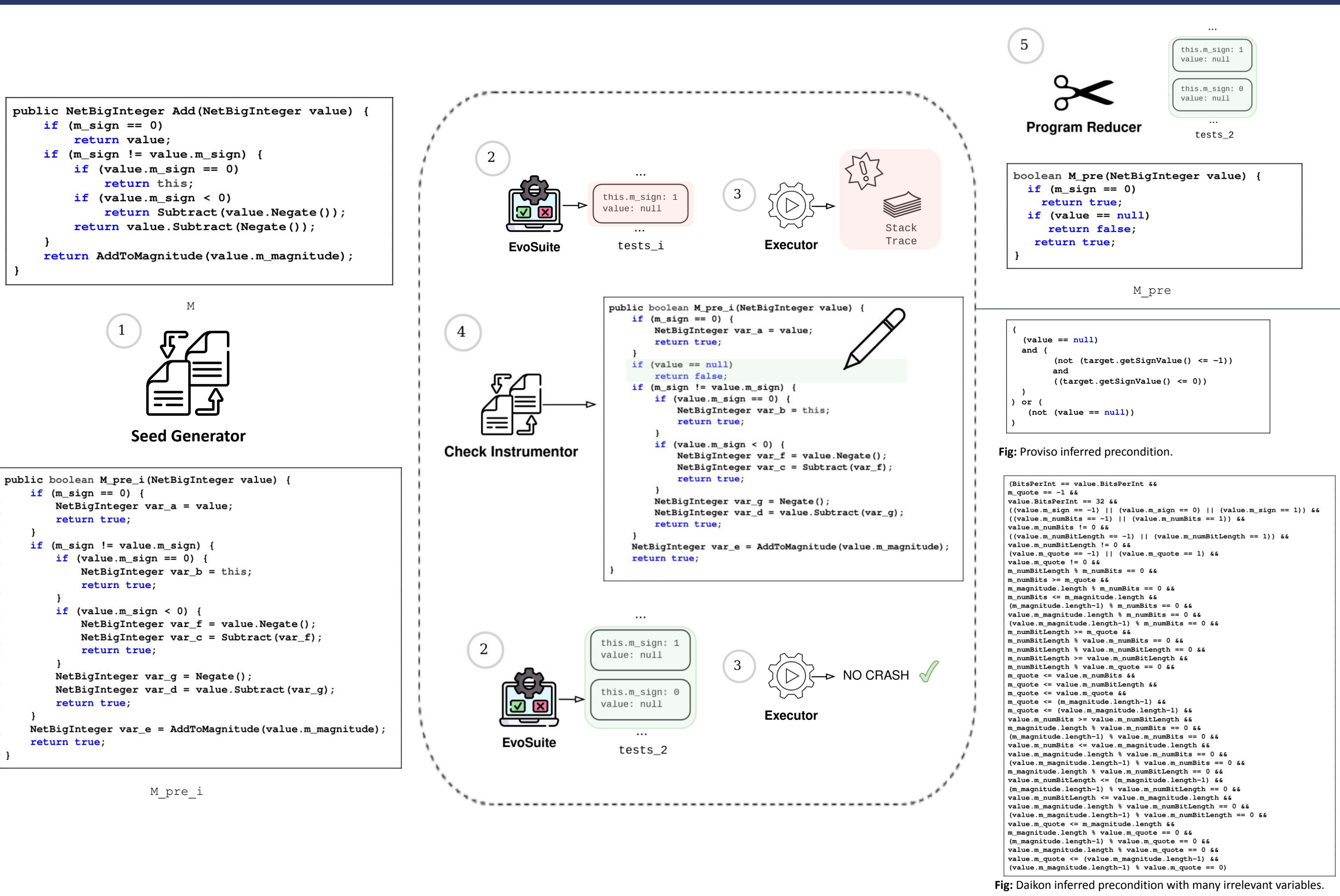
We define six transformations which guard against 99% of the crashes the test generator found on 87 real-world Java projects. Our technique performs AST transformations according to the Algorithm 1. This algorithm works in synergy with our seed generation as it expects localized statements to match the given line number.

**Algorithm 1** Transformation to replace a crashing program fragment on Line L with a new program fragment that guards the crashing exception type.

```

1 procedure CHECKSTATEMENTS(ALGORITHM(Exception Type T, Line L, bool isNCall))
2   S ← statement on line L
3   P ← S
4   P ← S
5   if isNCall then
6     P ← try { S } catch (T ex) { return false; }
7   end if
8   return P
9   for i = 1 to n do
10    switch T do
11      case java.lang.NullPointerException
12        if expr_i is a field access expression of the form object_expr.field then
13          P ← if (object_expr == null) return false; P
14        end if
15      case java.lang.ArrayIndexOutOfBoundsException
16        if expr_i is an array access expression of the form array_expr[index_expr] then
17          P ← if (array_expr == null) return false; P
18        end if
19      case java.lang.ArrayIndexOutOfBoundsException
20        if expr_i is an array access expression of the form array_expr[index_expr] then
21          P ← if (index_expr < 0 || index_expr >= array_expr.length) return false; P
22        end if
23      case java.lang.ClassCastException
24        if expr_i is a class cast expression of the form (cast_type) expr_to_cast then
25          P ← if !(expr_to_cast instanceof cast_type) return false; P
26        end if
27      case java.lang.NegativeArraySizeException
28        if expr_i is an array creation expression of the form new array_expr[index_expr] then
29          P ← if (index_expr < 0) return false; P
30        end if
31      case java.lang.ArithmeticException
32        if expr_i is a binary operator DIVIDE expression of the form numer/denom then
33          P ← if (denom == 0) return false; P
34        end if
35    end switch
36  end for
37 end procedure
    
```

## Example



## Evaluation

We perform an in-depth comparative evaluation to the state-of-the-art approach on a single real-world project. Here, we evaluate and compare the resulting preconditions inferred by both approaches on two aspects. We aim to answer the following research questions:

- RQ1: Correctness:** Are the inferred preconditions *safe* and *maximal*?
- RQ2: Naturalness:** Can humans easily reason over the inferred preconditions?

**Experimental Setup:**

**Baseline.** We evaluate in comparison to Proviso and Daikon as they are the state-of-the-art and instantiated in C# and Java which are similar to our target language. **Benchmark.** We evaluate on 39 (M,  $M_{pre}$ ) pairs from the `NetBigInteger` C# project. In order to evaluate our technique, we manually translate the `NetBigInteger` class to a semantically equivalent class in Java.

**RQ1: Correctness.** Following the definition of correctness in Proviso, we evaluate the safety and maximality of our inferred preconditions on the benchmark, modulo a test generator. We perform this evaluation for the 39 preconditions inferred by our approach.

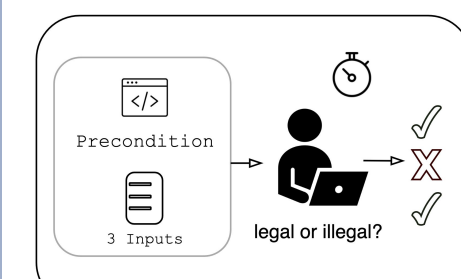
	Safe	Maximal	Correct	Total
DAIKON	25	10	6	39
PROVISO	37	34	34	39
OURS	33	34	29	39

Table 2: Correctness of Inferred Preconditions.

Through manual inspection, we find that the 10 incorrect preconditions our approach infers are due to EvoSuite incompleteness. The 33 incorrect preconditions Daikon infers are also due to incompleteness as well as including irrelevant variables and relations.

**Result 1:** Our approach infers correct (safe and maximal) preconditions for 29 of the 39 methods in the benchmark. The 10 incorrect preconditions were due to EvoSuite incompleteness. Proviso inferred 34 correctly, while Daikon only correctly inferred 6.

**RQ2: Naturalness.** To better understand if our inferred preconditions are natural, we study a human's ability to reason over its behavior. We compare to Proviso, by conducting a user evaluation of 44 users including computer science PhD students, undergraduates, and industry software engineers split evenly between two groups.



Each user is asked to review a given precondition and three inputs. We ask the user to classify each input as legal or illegal. The accuracy of their answers as well as the time taken to derive the answer are metrics of how natural or easy the precondition is to reason over.

	Accuracy		Time Taken (Sec)	
	Ours	PROVISO	Ours	PROVISO
Precondition 1	97.78%	77.78%	92.23	309.49
Precondition 2	80.56%	82.05%	250.43	82.19
Precondition 3	100%	73.33%	104.14	216.76
Precondition 4	97.22%	84.85%	61.77	68.38
Precondition 5	68.63%	80.56%	245.88	348.09
Overall	88.84%	79.71%	150.89	204.98

Table 1: User study results.

**User Study Design**

We identify 5 preconditions from our evaluation to use filtered by the following criteria:

- Both our approach and Proviso infer a correct precondition.
- The precondition inferred by the tools are syntactically different.
- The precondition is non-trivial (there exists at least 1 illegal and 1 legal input).

```

1 boolean M_pre(int x) {
2     if (x <= 0)
3         return false;
4     try {
5         Round(Sqrt(this));
6     } catch (Exception e) {
7         return false;
8     }
9     return true;
10 }
    
```

**Result 2:** On average, users were able to more accurately reason over our preconditions in a shorter time span. Our results were not as strong on preconditions which included interprocedural try-catch blocks.